

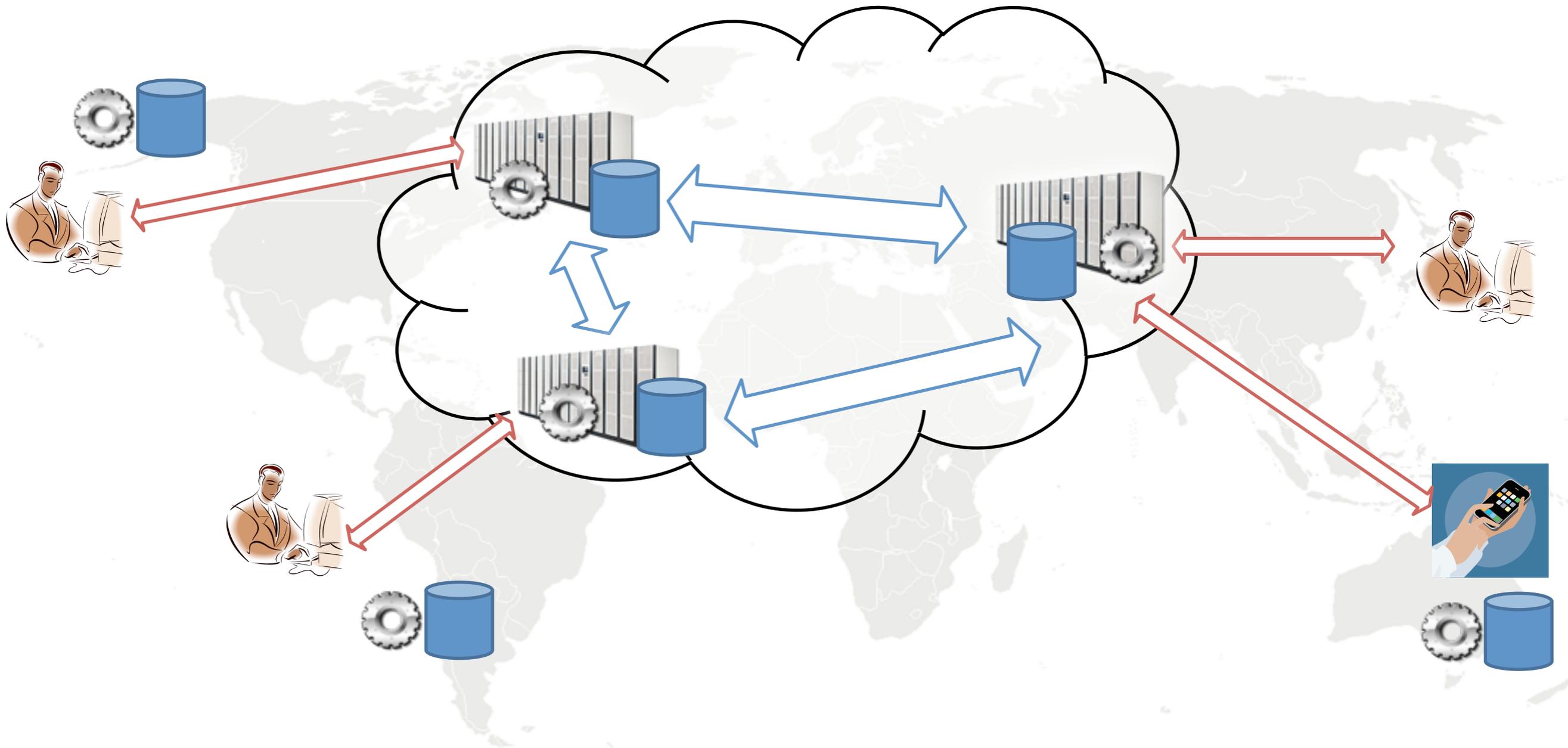
# CRDTs in Practice

Marc Shapiro – Inria & UPMC

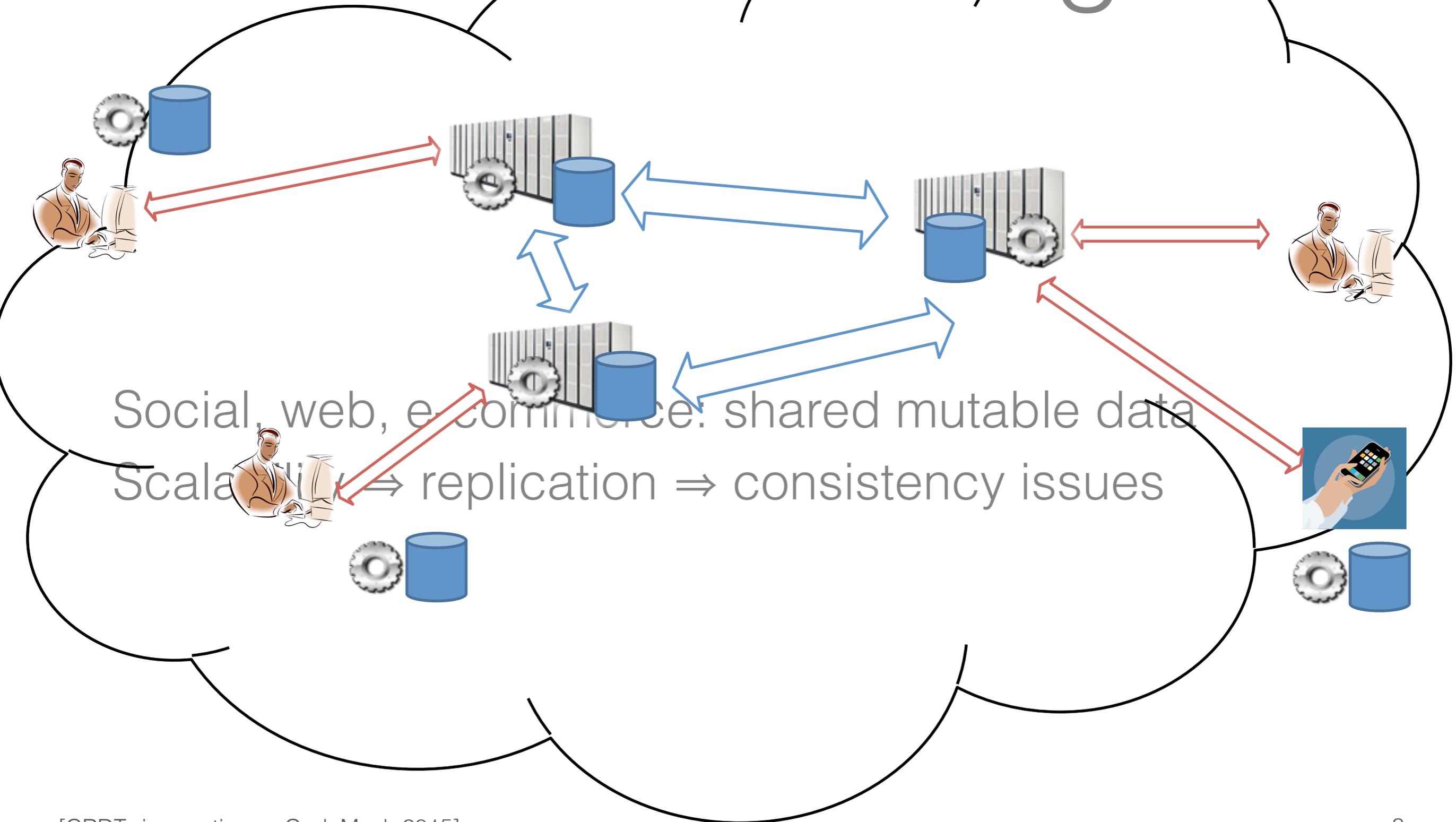
Nuno Preguiça – U. NOVA



# Cloud to the edge



# Cloud to the edge



# Conflict-free replicated data types

Data type

- Encapsulates issues

Replicated

- At multiple nodes

Available

- Update my replica without coordination
- Convergence guaranteed (by mathematical properties)
- Decentralised, peer-to-peer

# Why use CRDTs

Availability is king (otherwise stay away)

⇒ concurrent updates

Fine-grain mutable shared data

- Registers not sufficient

Mobile computing

In DC

Geo-replication

# CRDT design concepts

Backward-compatible with sequential datatype

If operations commute, they can be concurrent

- $add(e); rm(f) \equiv rm(f); add(e) \equiv add(e) \parallel rm(f)$

Otherwise, deterministic semantics

- Close to sequential  $rm(e); add(e)$  or  $add(e); rm(e)$
- Don't lose updates
- Result doesn't depend on order received
- Stable preconditions



# bet365

Largest European on-line betting operator

- Bursty load: 2.5 million simultaneous users
- 1 Tb working set
- 1000s servers
- Slow users: transient inconsistency OK
- Availability, read my writes, monotonic reads
- Transparency

Before: SQLserver, doesn't scale, hours to converge

mid 2013: noSQL riak: available, siblings; ad-hoc merge (hard!)

# bet365 CRDT experience

≥ Jan. 2014; in anger ≥ Dec. 2014

ORSWOT add-remove set

- Add, remove element; scan for similar
- 100s Gb

Transformational : “CRDTs saved the day”

- Correct by construction
- Stable; partitions fixed quickly, correctly

Future wish list: “Extra guarantees ... without impacting availability.”

# CRDT Set design space

Many Set operations commute:  $add(e) / add(f)$ ,  $add(e) / rm(f)$ , etc.

Non-commuting pair:  $add(e) / rm(e)$

- ~~sequential consistency~~
- last writer wins?  $\{ add(e) < rmv(e) \implies e \notin S$   
 $\wedge rmv(e) < add(e) \implies e \in S \}$
- error state?  $\{ \perp_e \in S \}$
- add wins?  $\{ e \in S \}$
- remove wins?  $\{ e \notin S \}$

All deterministic, satisfy conditions

# Wedding list

TV  
Ski trip  
Books

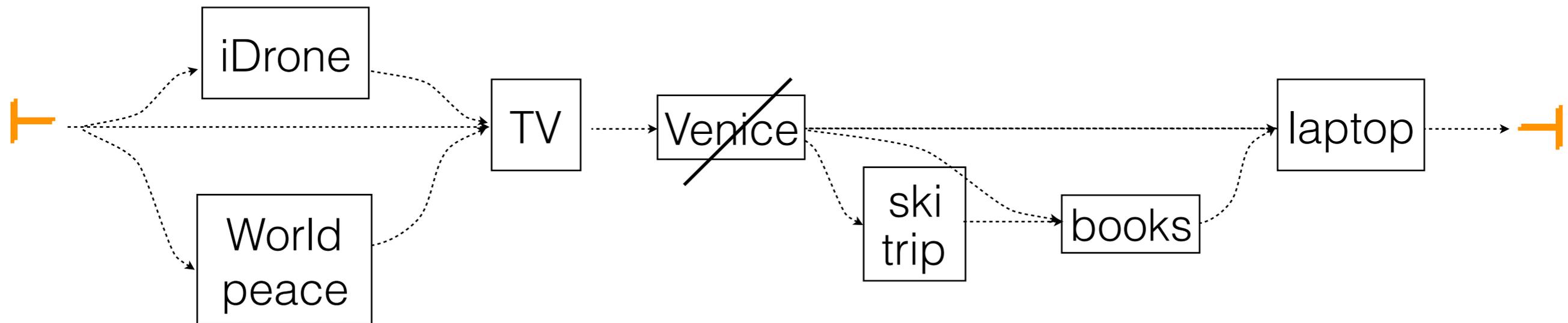
Replicated wedding list

Ordered list of “wishes” (strings)

- *lookup (wish) → rank*
- *add (position, wish)*
- *rm (position)*

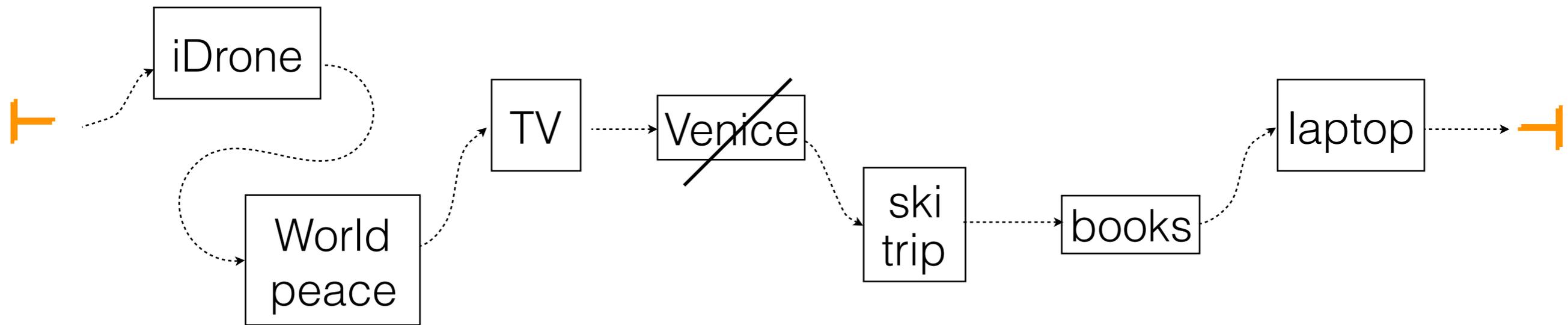
Position: “after item”

TV  
Ski trip  
Books



Each item points to the next one

- *add (pos, item)*: link *item* after the one at *pos*
- *rm (item)*: mark as tombstone
- *add (pos, item1) || add (pos, item2)*: deterministic



Each item points to the next one

- *add (pos, item)*: link *item* after the one at *pos*
- *rm (item)*: mark as tombstone
- *add (pos, item1) || add (pos, item2)*: deterministic

# Lowering your expectations

World Peace

iDrone

TV

Ski trip

Books

Laptop

- *lookup (wish) → rank*
- *add (pos, wish)*
- *rm (pos)*
- *mv (wish, pos1, pos2)*

iDrone

TV

Ski trip

Books

Laptop

World Peace

# Lowering your expectations

World Peace  
iDrone  
TV  
Ski trip  
Books  
Laptop  
World Peace

- *lookup (wish) → rank*
- *add (pos, wish)*
- *rm (pos)*
- ~~*mv (wish, pos1, pos2)*~~  
*add (... , pos2); rm (pos1)*

World Peace  
iDrone  
TV  
Ski trip  
Books  
Laptop  
World Peace

# Lowering your expectations

● iDrone  
World Peace  
TV  
Ski trip  
Books  
Laptop

- *lookup (wish) → rank*
- *add (pos, wish)*
- *rm (pos)*
- ~~*mv (wish, pos1, pos2)*~~  
*add (... , pos2); rm (pos1)*
- *offer (wish)*

● iDrone  
World Peace  
TV  
Ski trip  
Books  
Laptop

# The problem with invariants

Remove specification

$\{ true \} rm(wish) \{ tombstone(wish) \}$

Move, offer: maintain uniqueness invariant

$\{ \neg offered(wish, _) \} offer(wish) \{ offered(wish, red) \}$

Precondition *stable* under concurrent updates?

- If so, invariant guaranteed
- Otherwise, all bets are off

# Lessons learned

Availability  $\Rightarrow$  concurrent updates

- Mask their undesirable effects

Backwards compatible

- Same sequential semantics
- Commute  $\Rightarrow$  same concurrent semantics
- otherwise, “close enough”

Maintaining invariants

- *Stable preconditions*

# Numeric Invariants

Many applications need to enforce conditions like:

$$\text{counter} \geq K$$

E.g.:

- Number of impressions left  $\geq 0$
- Virtual money in a game  $\geq 0$

# Numeric invariants

$$X \geq 0$$

Given  $X = n$ , there are  $n$  rights to execute  $dec()$

Distribute rights among replicas

- Consume rights for  $dec()$
- Create rights on  $inc()$

# CRDT-ish

Execute operations locally without coordination

Peer-to-peer synchronisation

Fail if not enough rights exist

# Bounded Counter: API

Create(type, value);

Increment(value);

Decrement(value);

Value();

Transfer(to, qty);

# Bounded Counter: increment

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

Increment(10);

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

$R_1$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

Increment(15);

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	0
$r_3$	0	0	0	0

$R_2$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

Increment(8);

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	8	0

$R_3$

# Bounded Counter: increment

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0



$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	0
$r_3$	0	0	0	0



$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	8	0



# Bounded Counter: decrement

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

~~decrement(15);~~

$R_1$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	0
$r_3$	0	0	0	0

decrement(5);

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	5
$r_3$	0	0	0	0

$R_2$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	8	0

$R_3$

# Bounded Counter: transfer

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

$R_1$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	0
$r_3$	0	0	0	0

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	5
$r_3$	0	0	0	0

$R_2$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	8	0

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	4	0	8	0

transfer( $r_1$ , 4);



$R_3$

# Bounded Counter: transfer

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	5
$r_3$	0	0	0	0

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	4	0	8	0



# Bounded Counter: merge

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

Each replica only touches his line. Merge by taking max of each cell.

$R_1$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	5
$r_3$	0	0	0	0

merge( $r_1, r_2$ );

$R_2$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	4	0	8	0

$R_3$

# Bounded Counter: merge

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

Each replica only touches his line. Merge by taking max of each cell.

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	5
$r_3$	0	0	0	0

merge( $r_1, r_2$ );

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	15	0	5
$r_3$	0	0	0	0

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	4	0	8	0

# Bounded Counter: merge

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

Each replica only touches his line. Merge by taking max of each cell.

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	5
$r_3$	0	0	0	0

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	15	0	5
$r_3$	0	0	0	0

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	4	0	8	0

merge( $r_3, r_2$ );

# Bounded Counter: merge

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	0	0	0
$r_3$	0	0	0	0

Each replica only touches his line. Merge by taking max of each cell.

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	15	0	5
$r_3$	0	0	0	0

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	15	0	5
$r_3$	4	0	8	0

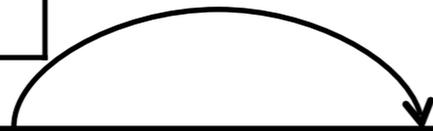
$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	4	0	8	0

merge( $r_3, r_2$ );

# Bounded Counter: decrement

<b><i>R</i></b>	<i>r</i> <sub>1</sub>	<i>r</i> <sub>2</sub>	<i>r</i> <sub>3</sub>	<b><i>U</i></b>
<i>r</i> <sub>1</sub>	10	0	0	0
<i>r</i> <sub>2</sub>	0	15	0	5
<i>r</i> <sub>3</sub>	4	0	8	0

decrement(12);



***R*<sub>1</sub>**

<b><i>R</i></b>	<i>r</i> <sub>1</sub>	<i>r</i> <sub>2</sub>	<i>r</i> <sub>3</sub>	<b><i>U</i></b>
<i>r</i> <sub>1</sub>	10	0	0	0
<i>r</i> <sub>2</sub>	0	15	0	5
<i>r</i> <sub>3</sub>	4	0	8	0

Check local rights  $\geq 12$

***R*<sub>2</sub>**

<b><i>R</i></b>	<i>r</i> <sub>1</sub>	<i>r</i> <sub>2</sub>	<i>r</i> <sub>3</sub>	<b><i>U</i></b>
<i>r</i> <sub>1</sub>	0	0	0	0
<i>r</i> <sub>2</sub>	0	0	0	0
<i>r</i> <sub>3</sub>	4	0	8	0

***R*<sub>3</sub>**

# Bounded Counter: decrement

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	15	0	5
$r_3$	4	0	8	0

decrement(12);



$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	15	0	5
$r_3$	4	0	8	0

Check local rights  $\geq 12$

local = R[1][1]

10 = 10

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	4	0	8	0



# Bounded Counter: decrement

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	15	0	5
$r_3$	4	0	8	0

decrement(12);

$R_1$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	15	0	5
$r_3$	4	0	8	0

Check local rights  $\geq 12$

local =  $R[1][1] + \sum R[i][1]$

14 = 10 + 4

$R_2$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	4	0	8	0

$R_3$

# Bounded Counter: decrement

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	15	0	5
$r_3$	4	0	8	0

decrement(12);



$R_1$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	10	0	0	0
$r_2$	0	15	0	5
$r_3$	4	0	8	0

Check local rights  $\geq 12$

$$\text{local} = R[1][1] + \sum R[i][1] - \sum R[1][j] - U[1]$$

$$14 = 10 + 4 - 0 - 0$$

$R_2$

$R$	$r_1$	$r_2$	$r_3$	$U$
$r_1$	0	0	0	0
$r_2$	0	0	0	0
$r_3$	4	0	8	0

$R_3$

# Using Bounded Counter

Operation execute locally; fail if no rights available

Redistribute rights

- On-demand when needed
- Proactive

Peer-to-peer synchronization

Prototype implemented on top of Riak

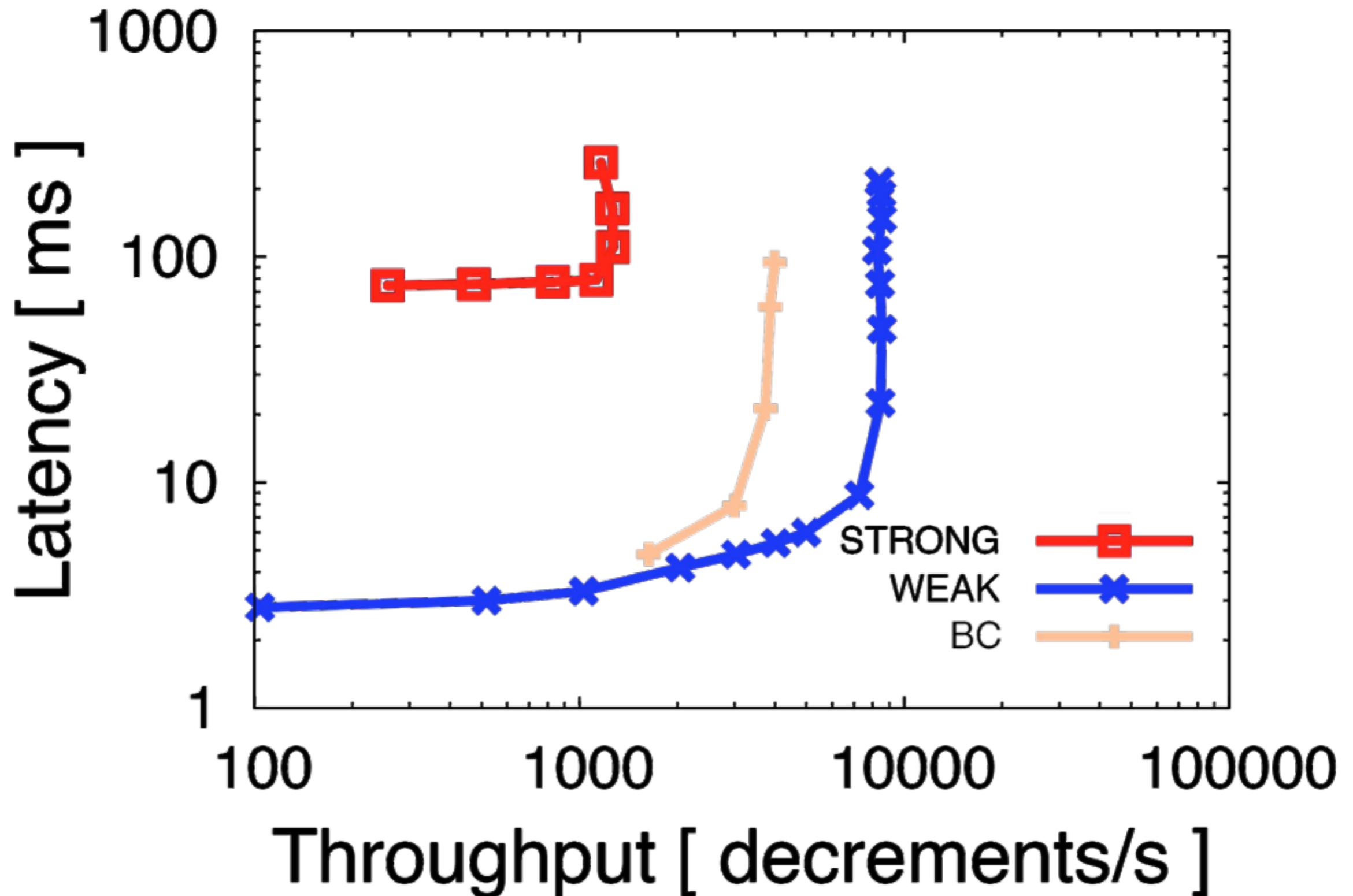
# Micro Benchmark

Deployment: 3 Regions on AWS (m1.large)

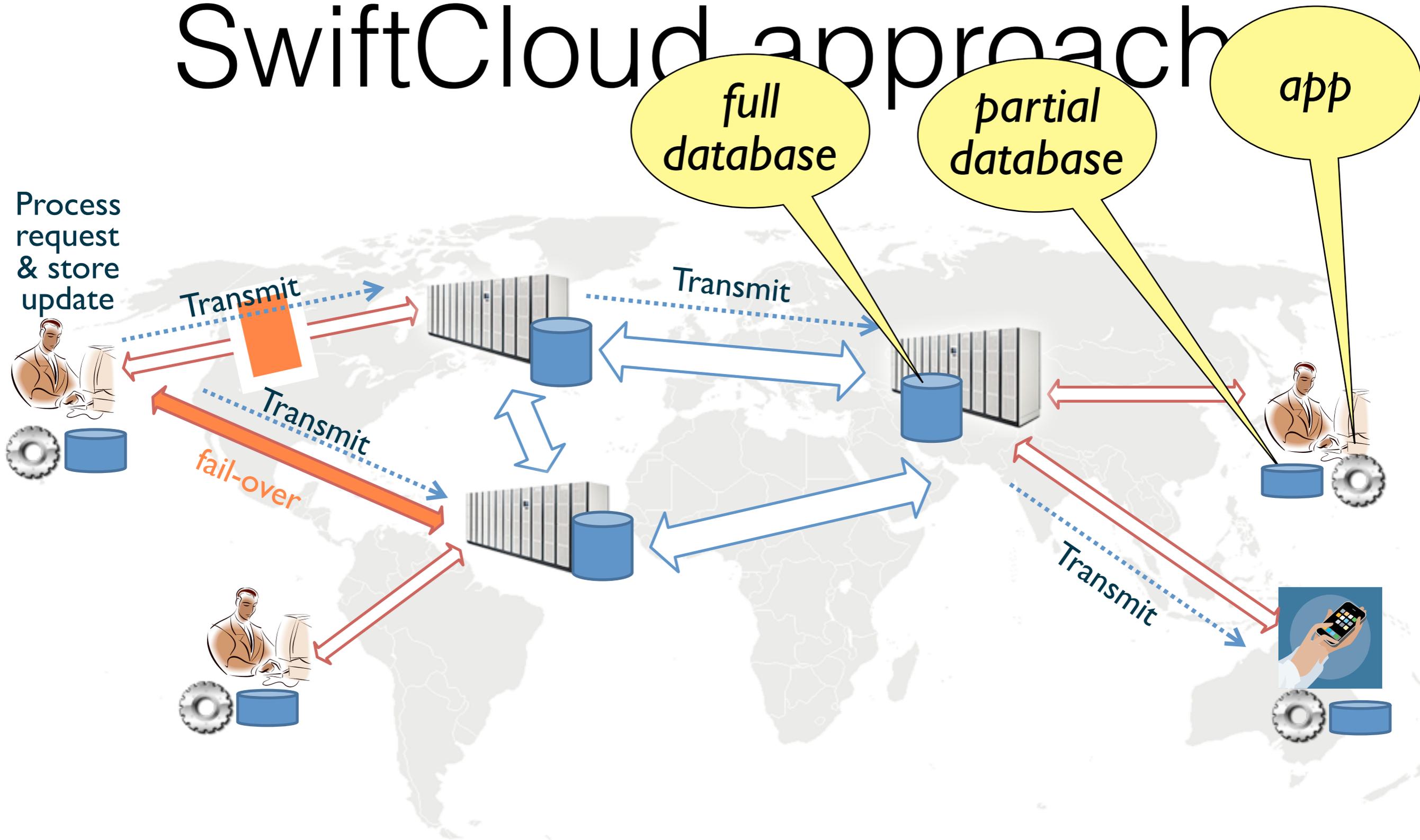
Configurations:

- **STRONG** - Strong consistency (all writes on 1 DC);
- **WEAK**- Eventual Consistency (Riak Counters);
- **BC** - Bounded Counter.

# Latency for multiple keys



# SwiftCloud approach



# SwiftCloud key features

## Cache data at clients

- Modify cached data => low latency, high availability

## Highly available transactions

- Atomic updates
- Read snapshot
- CRDT rules for margining concurrent updates

## Causal consistency

- Write fast, read in the past
- Client-assisted failover

# SwiftSocial

## High-level operations

- Registering user, Login/Logout
- Post status update; send message
- View wall
- Friendship management

## Operations modeled as transactions

### State

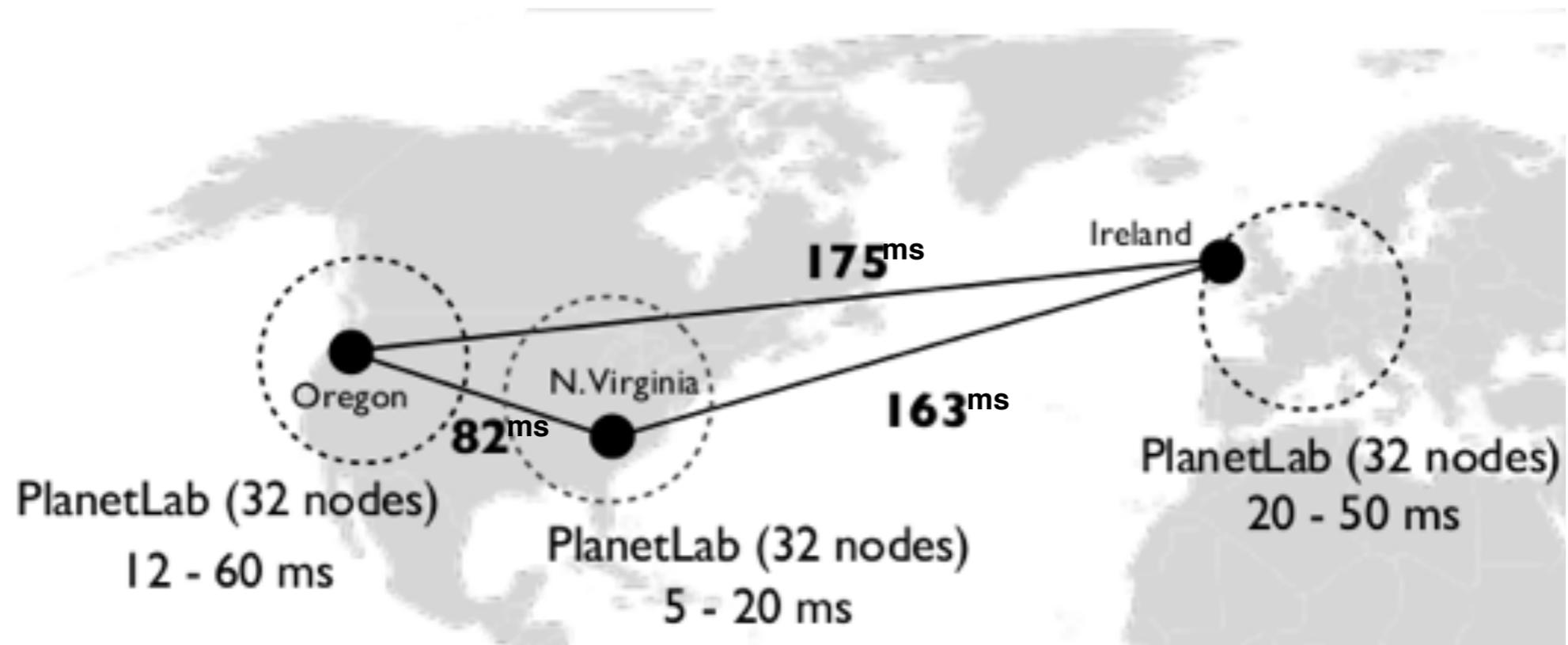
- Set CRDT for messages and friends
- Register CRDT for user data
- Counter CRDT for polls

# Swift FS

Directory: (name, type)  $\rightarrow$  object

- Shallow Map
- create (n, t, v)  $\approx$  add
  - Concurrent: merge v recursively
- remove (n,t): whole subtree
  - Concurrent create, edit: re-create
- Object-specific operations (e.g. graph)
- No move  $\Rightarrow$  can lead to cycles

# Experiments



3 DCs in Amazon EC2

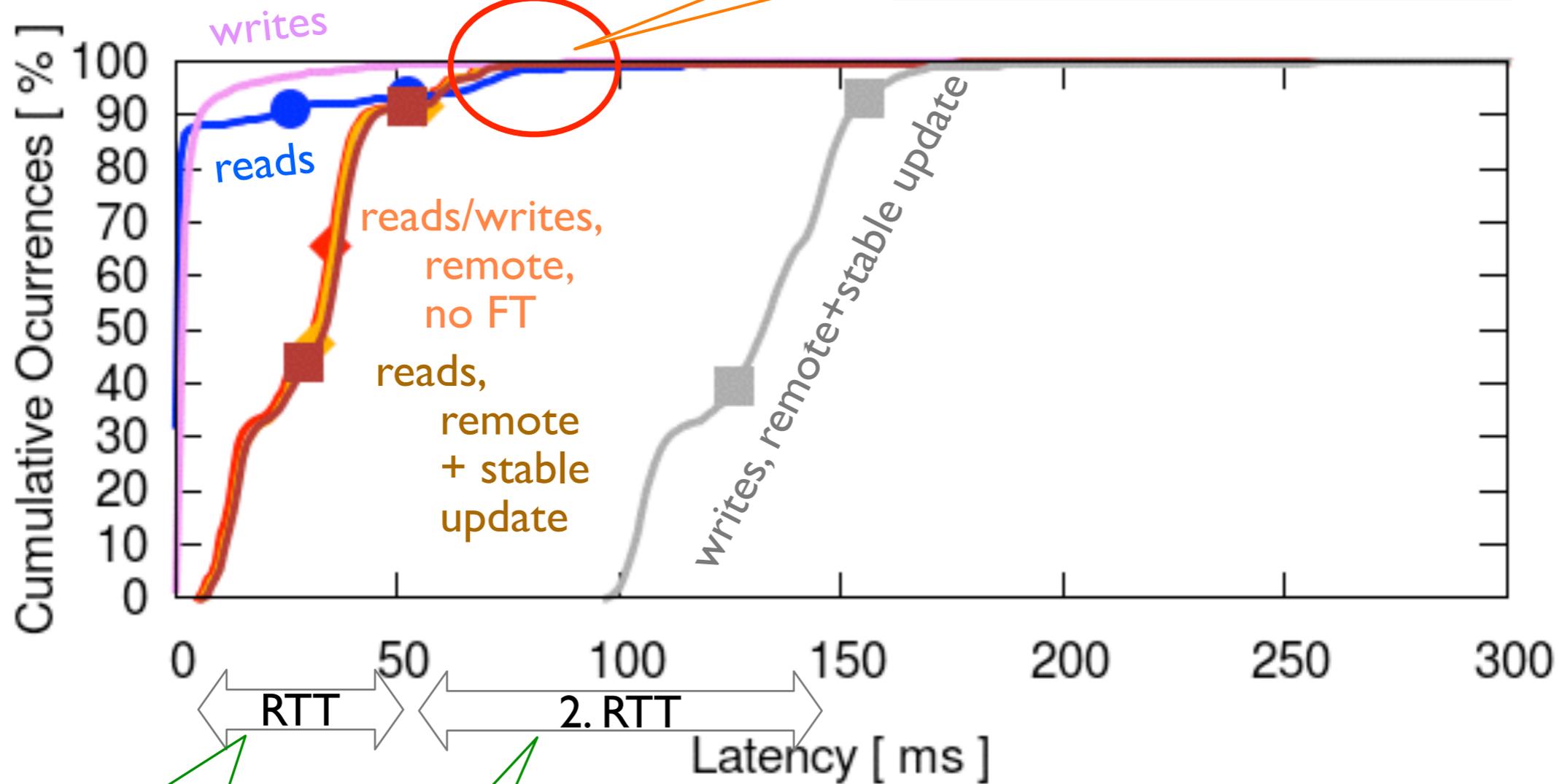
100 client nodes in PlanetLab

Cache size: 512 objects

SwiftSocial: 90% cache hits

# Update caching + Read-In-Past minimize

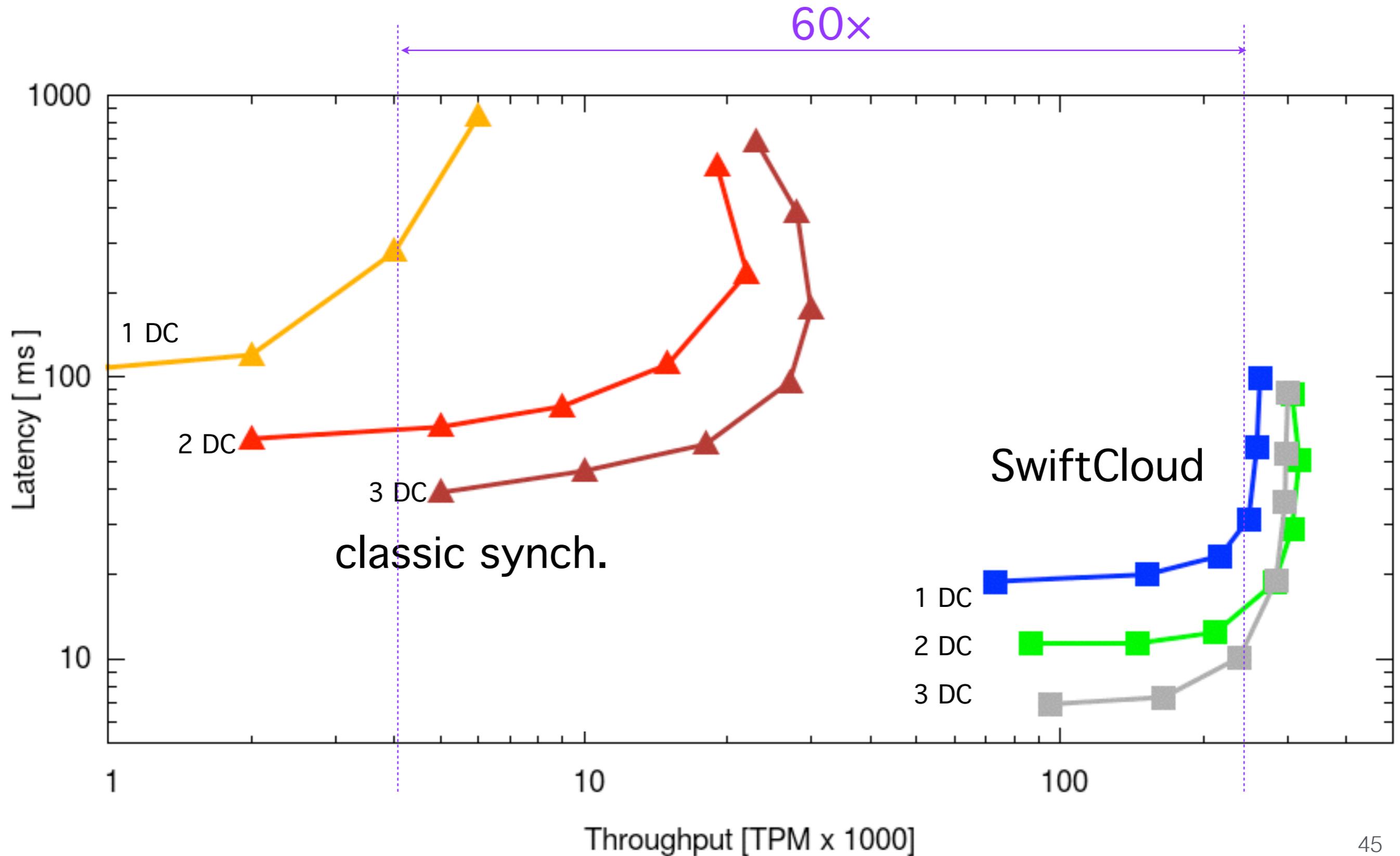
Operations with > 1  
cache miss



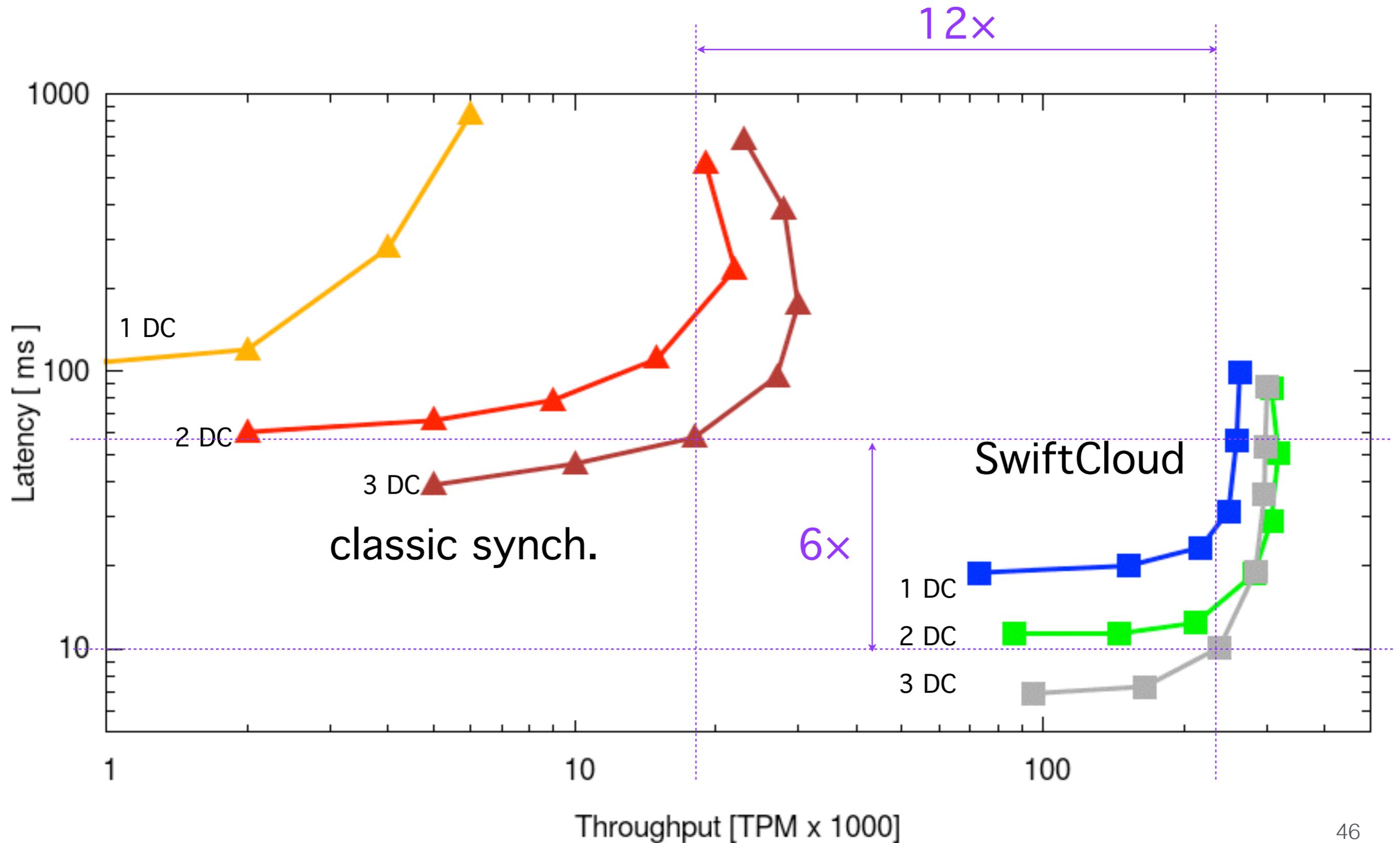
Client-side caching & updates

Read-in-past + client-assisted fault tolerance

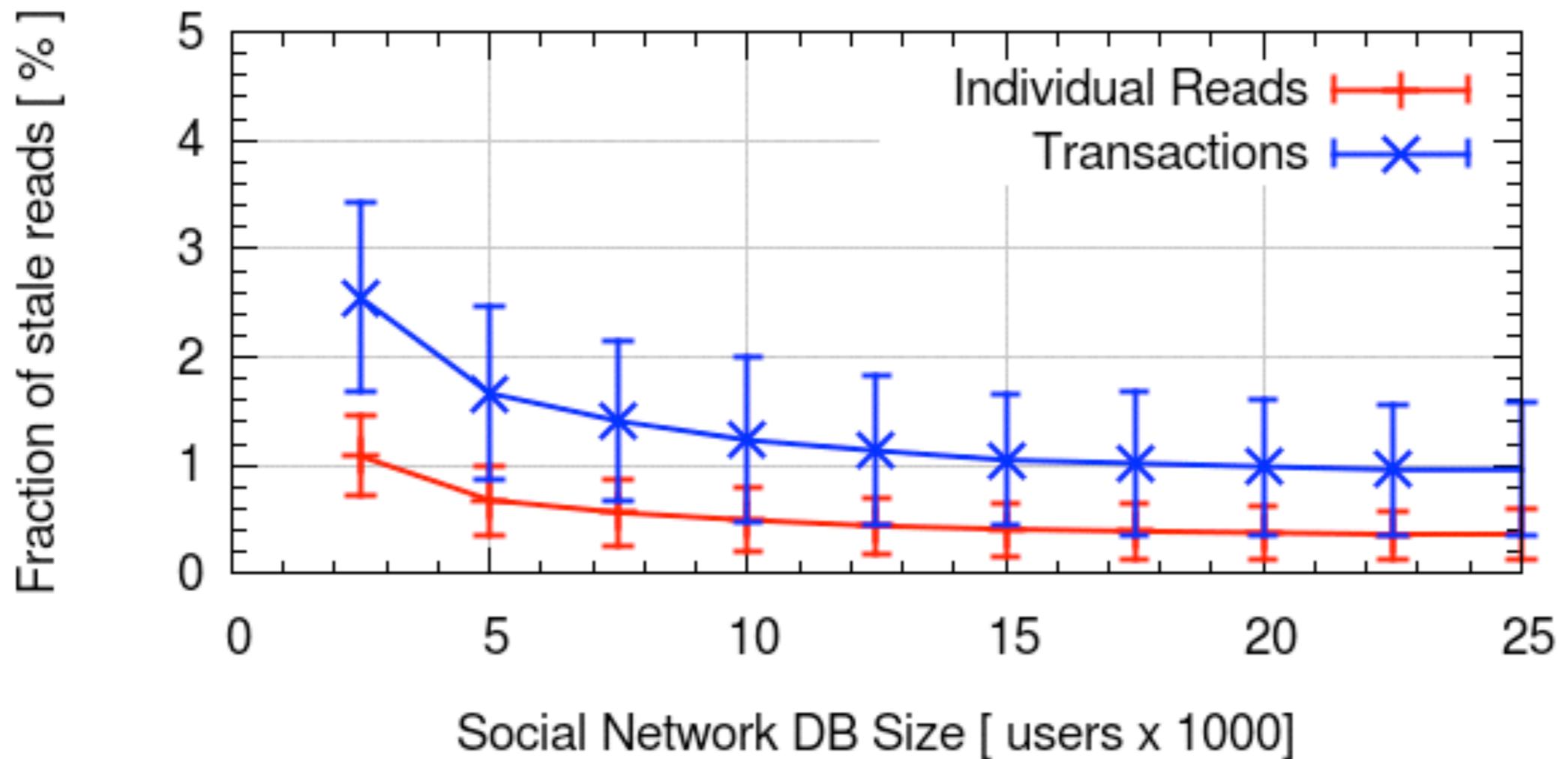
# Latency vs. throughput



# Latency vs. throughput



# Staleness for fault tolerance



# Summary

Applications requires multiple CRDTs

- Composition (e.g. Rick Map)

Need to lower expectations...

... but still possible to enforce some invariants

- Multi-key updates: HATs
- Causality
- Numeric invariants
- General invariants: red-blue, just-right consistency

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